

Lecture 3

Enduring challenges of the CDM model and alternative cosmologies

Outline:

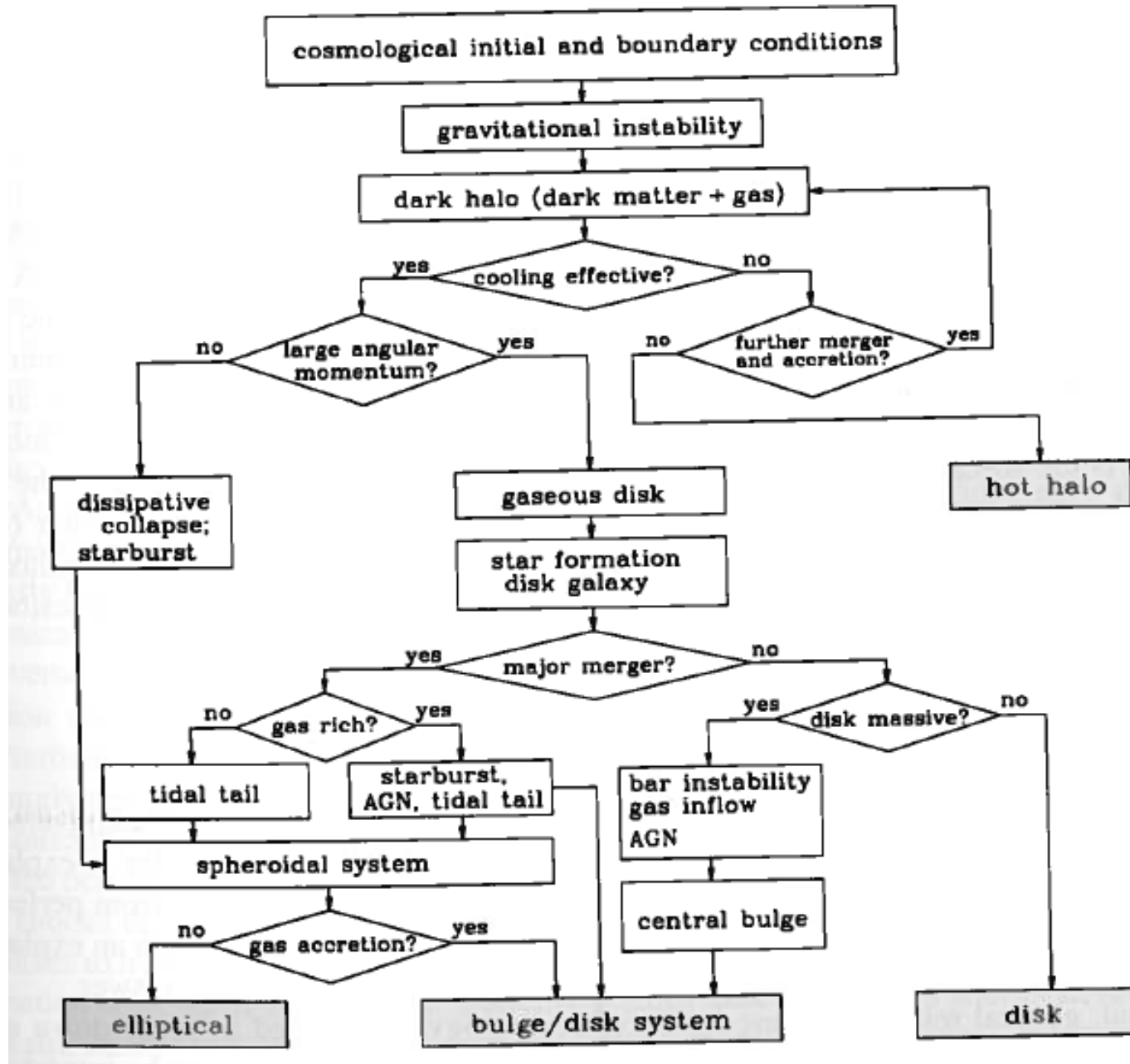
- Challenges of the CDM model (small-scales)
 - i) Overabundance of dwarf galaxies
 - ii) Central densities of dwarf galaxies
- Warm Dark Matter
- Self-Interacting Dark Matter

Literature:

- (i) Dark Matter Substructure and Dwarf Galactic Satellites, Kravtsov 2010, Ad. in Ast. 281913
- (ii) The core-cusp problem, de Blok, 2010, Ad.in Ast. 789293
- (iii) Halo Formation in Warm Dark Matter Models Bode, Ostriker & Turok, 2001, ApJ, 556, 93
- (iv) Observational Evidence for Self-Interacting Cold Dark Matter, Spergel & Steinhardt, 2000, PRL, 84, 3760

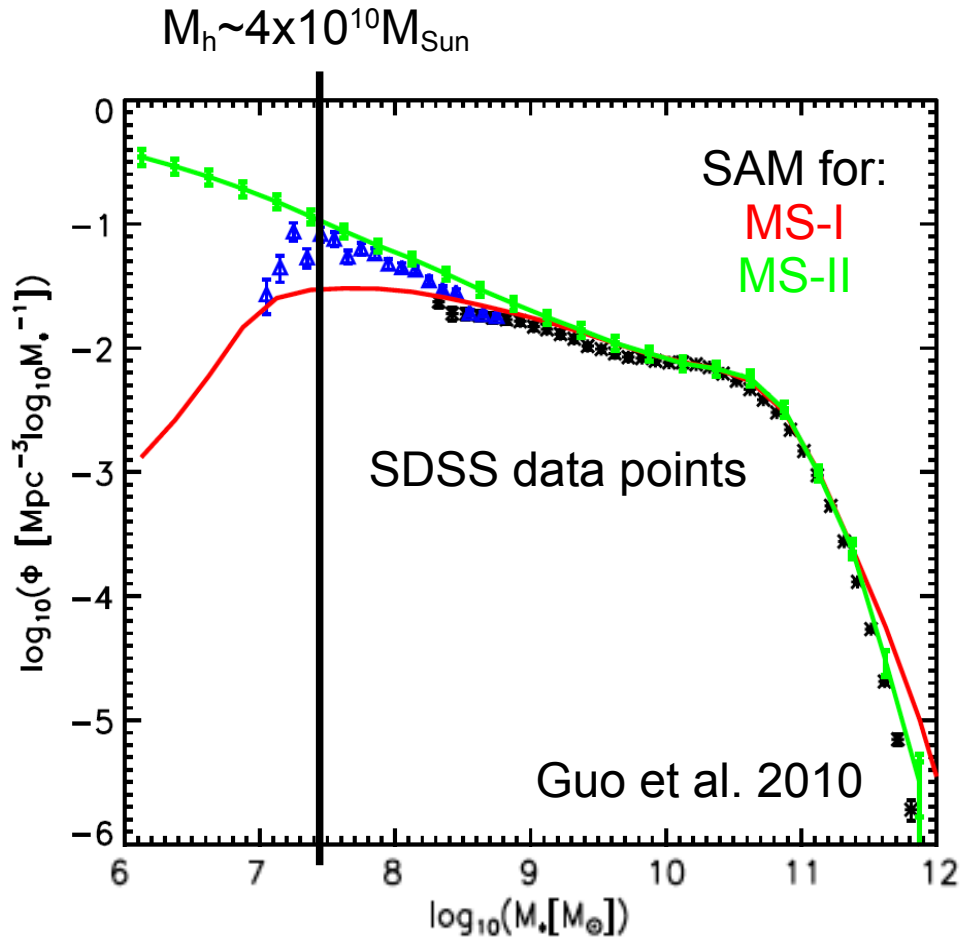
A logic flow-chart for galaxy formation

Fig. from Mo, Mao and White, 2010



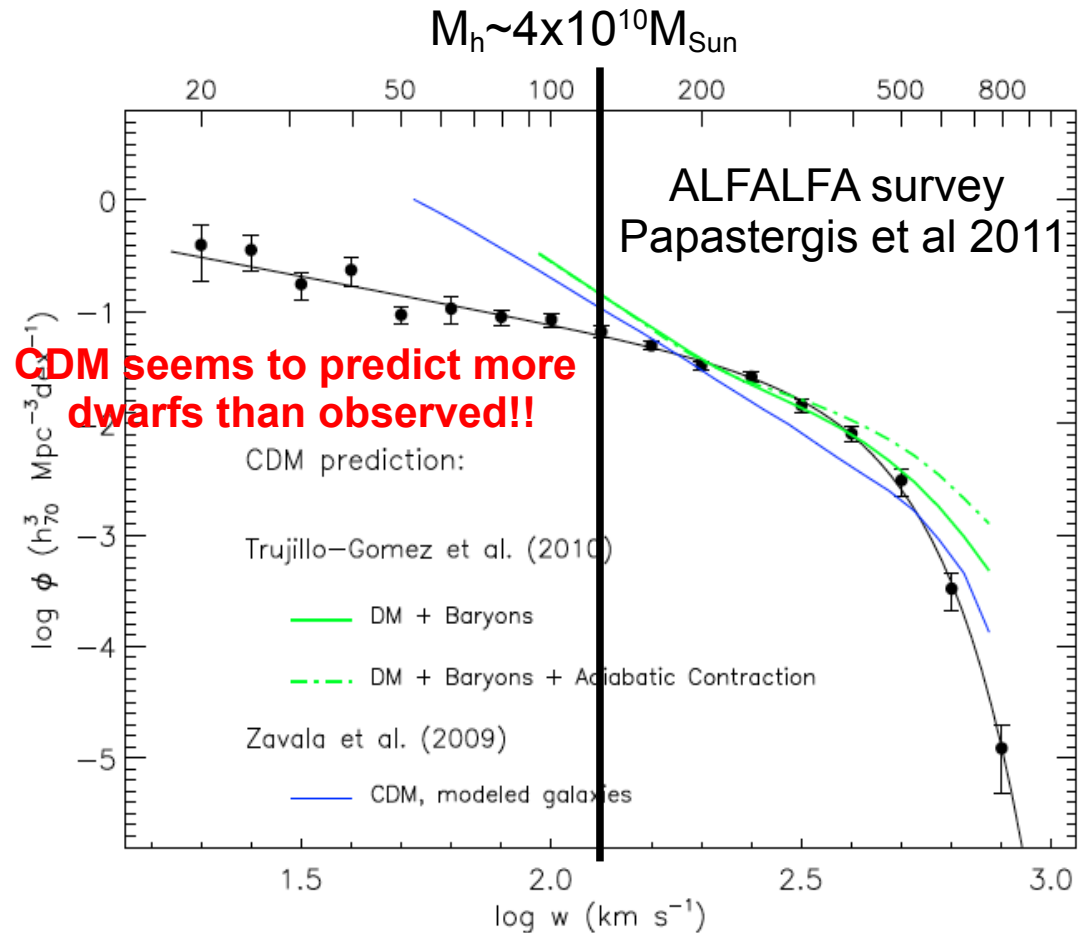
The complex process of galaxy formation is studied through a combination of analytical, numerical and empirical arguments

Observed abundance of dwarf galaxies in the field



Abundance according to **stellar mass**:
suppression of SF at low masses due
mainly to SN feedback. Galaxy formation
and evolution modelled by a semi-analytic
model (SAM)

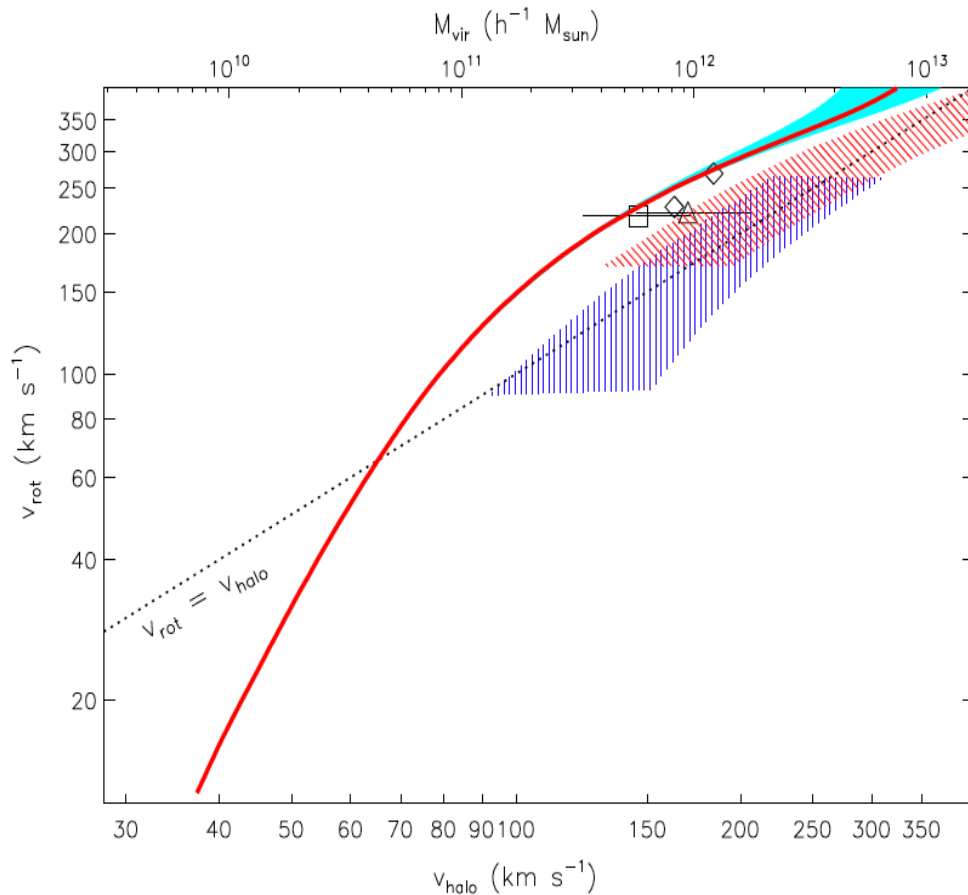
Abundance according to **H_I mass**:
better tracer of the dynamics
at large radii



Possible solutions within CDM

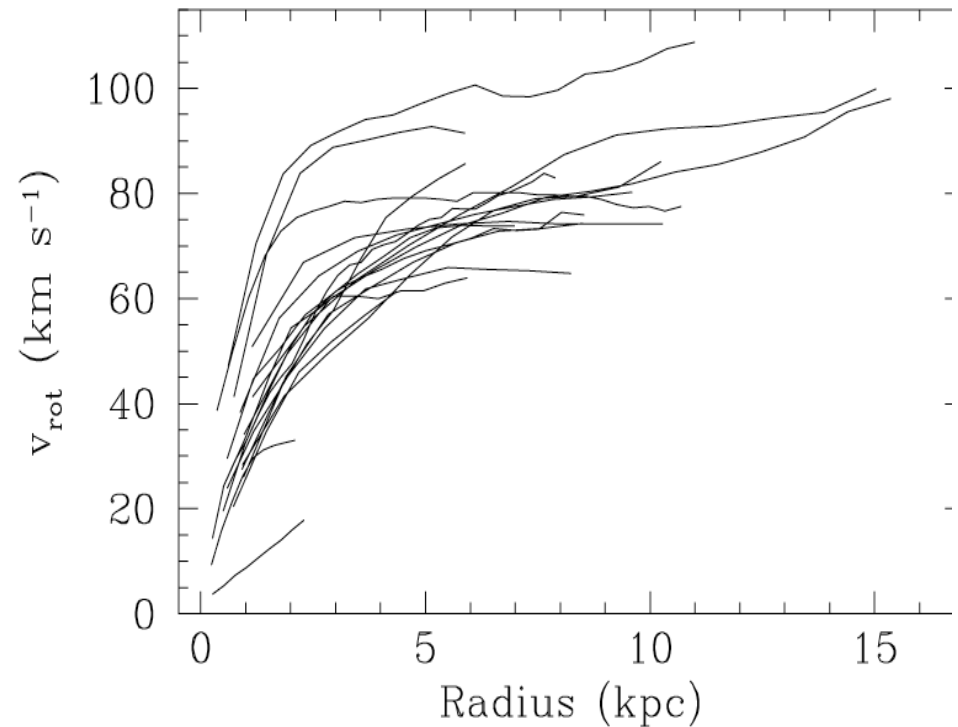
- **Suppression of H_I** in halos with $M_h < 4 \times 10^{10} M_{\text{Sun}}$ (SN-driven winds, UV photoionization $M_c \sim 9 \times 10^9 M_{\text{Sun}}$...); Sawala et al. 2012
- The H_I line width underestimates the maximum rotational velocity of the halo?

Galaxy-halo V_{max} relation needed to solve the overabundance problem



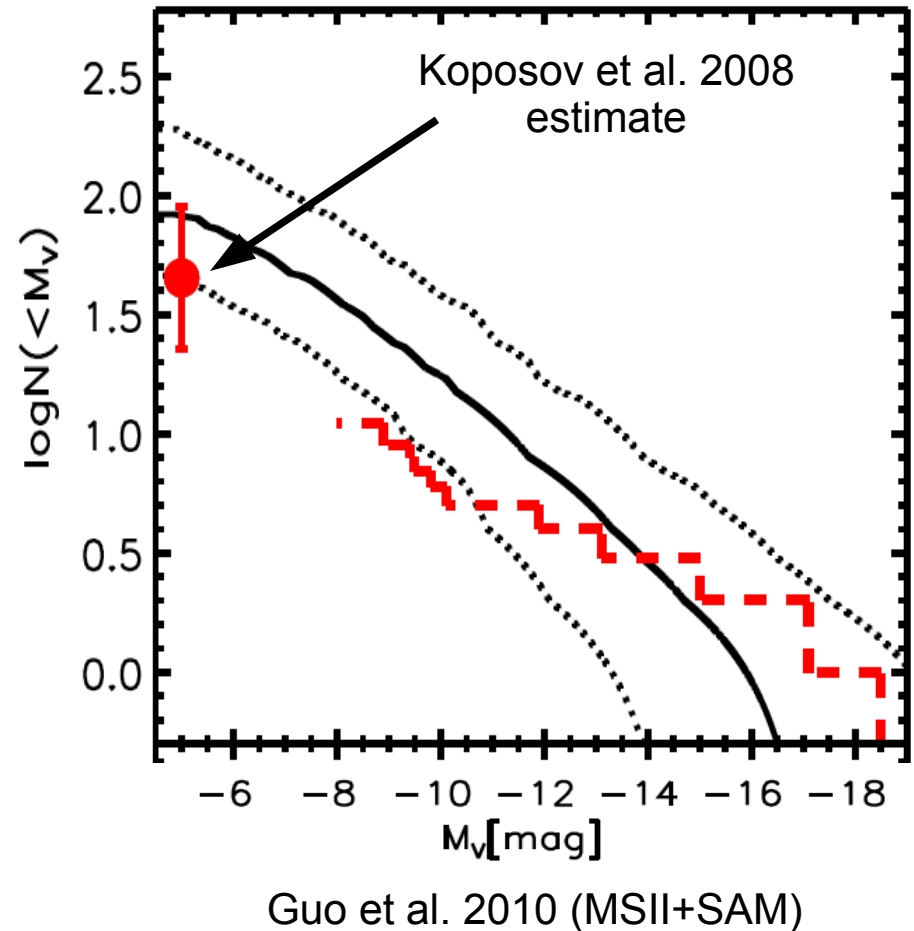
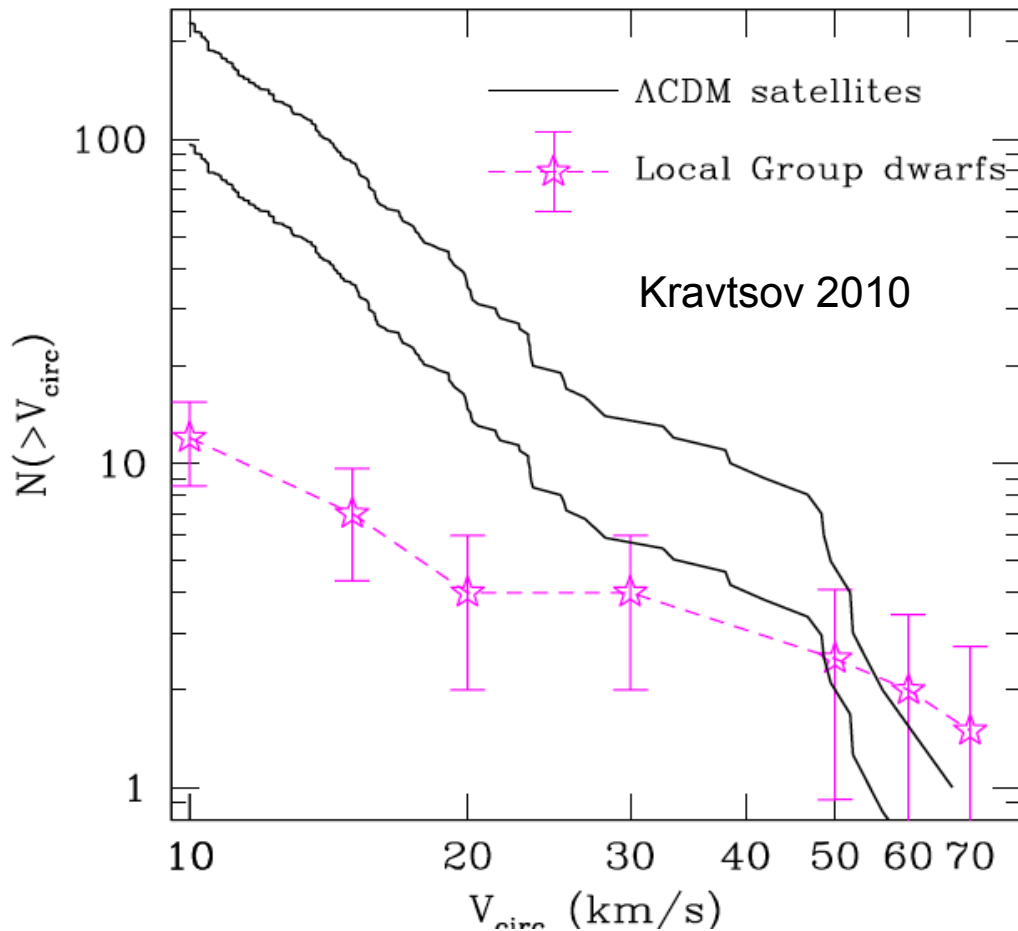
Papastergis et al. 2011

Rising rotation curves for low-mass spirals



Swaters et al. 2009

Overabundance of MW-satellites: The missing satellites problem



Considering “observational” effects (e.g. limited sky coverage) and environmental processes that suppress star formation in the satellites (e.g. ram-pressure stripping) can alleviate the problem.

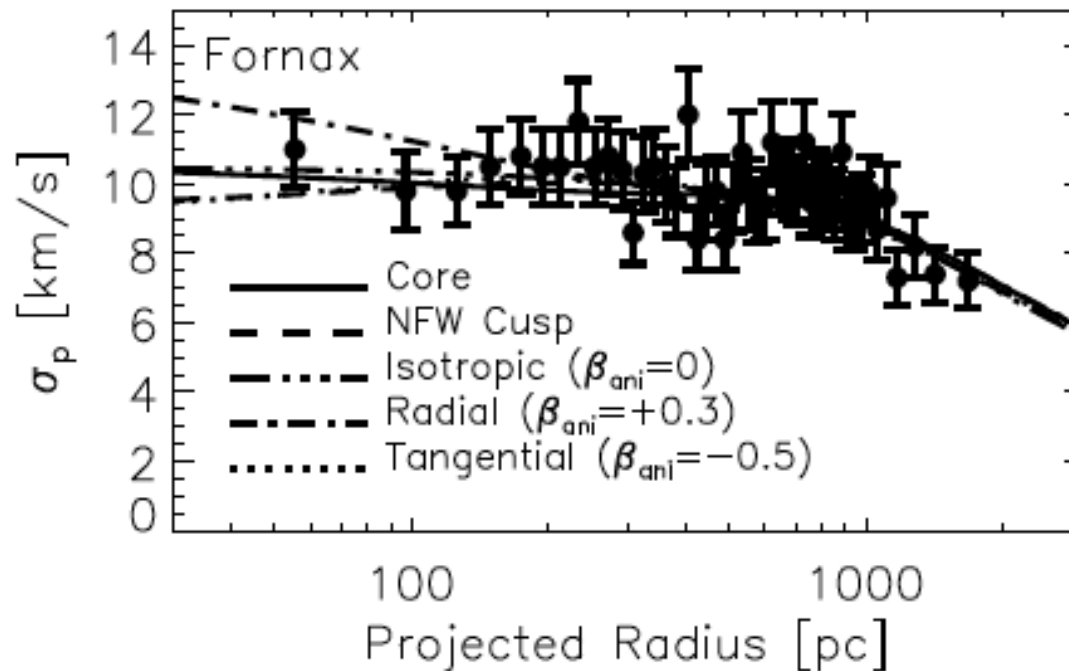
Still, if CDM is right, there must be a vast amount of “dark” satellites that should be detected through lensing studies in the near future.

Inner density profile of MW dSphs

- The CDM model predicts DM halos that are “cuspy” in the center:

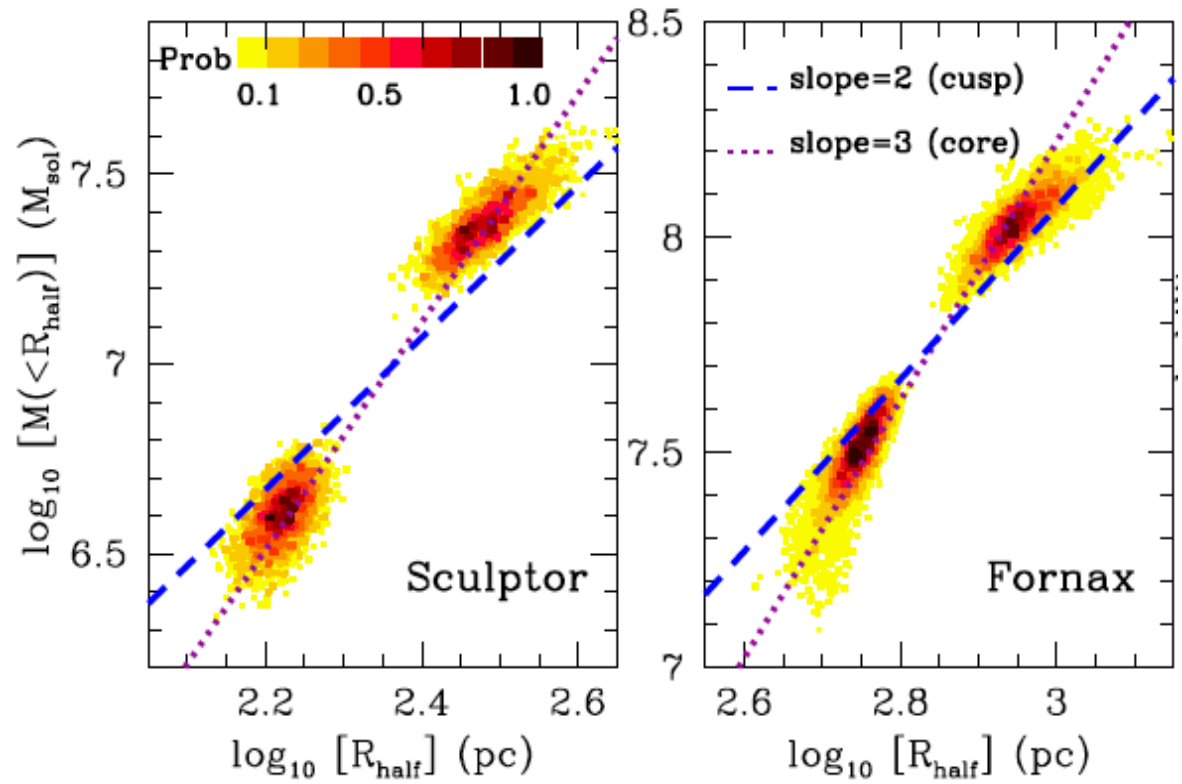
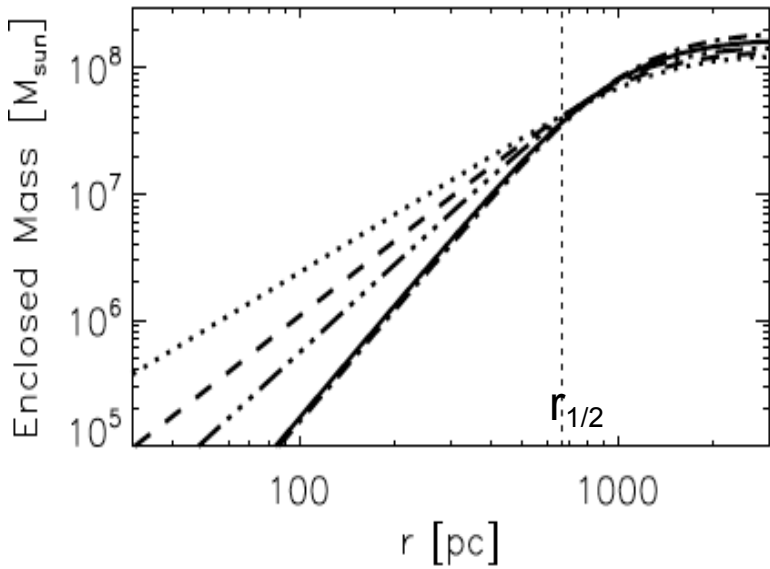
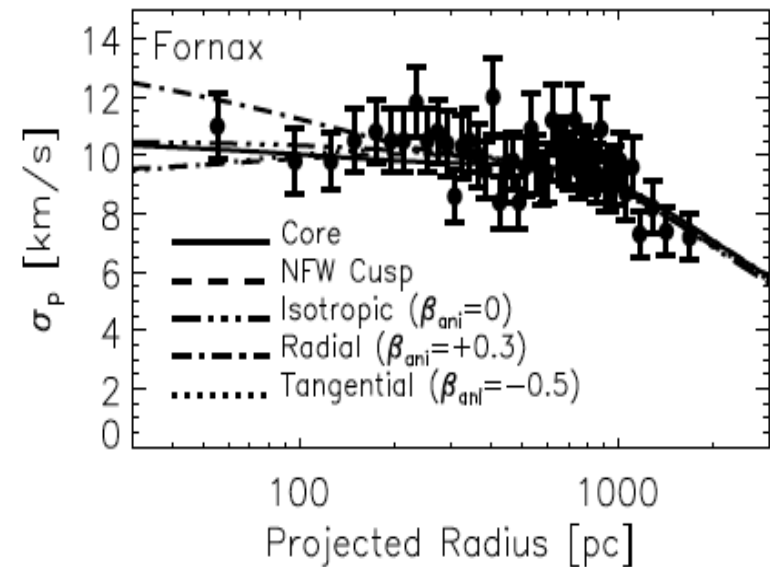
$$\rho \propto r^{-\alpha} \quad (\alpha \lesssim 1) \quad \text{for } r \rightarrow 0$$

- The assembly of the luminous galaxy modifies the inner regions of the DM distribution. In dwarf galaxies this effect is minimized since the inner dynamics are dominated by DM.
- Current observations of dSphs give an incomplete account of the 6D phase space distribution (only 2D info in space and 1D in velocity space). This creates a degeneracy between the underlying mass profile and the velocity anisotropy.



Inner density profile of MW dSphs

Walker and Peñarrubia 2011



Two different stellar subcomponents provide a measurement of the slope of the mass profile:
cores are strongly favoured over cusps!!

Assumptions: spherical symmetry (halos are actually triaxial in simulations) and dynamical equilibrium

Mass-anisotropy degeneracy minimized at $r_{1/2}$
 (e.g. Wolf et al. 2010)

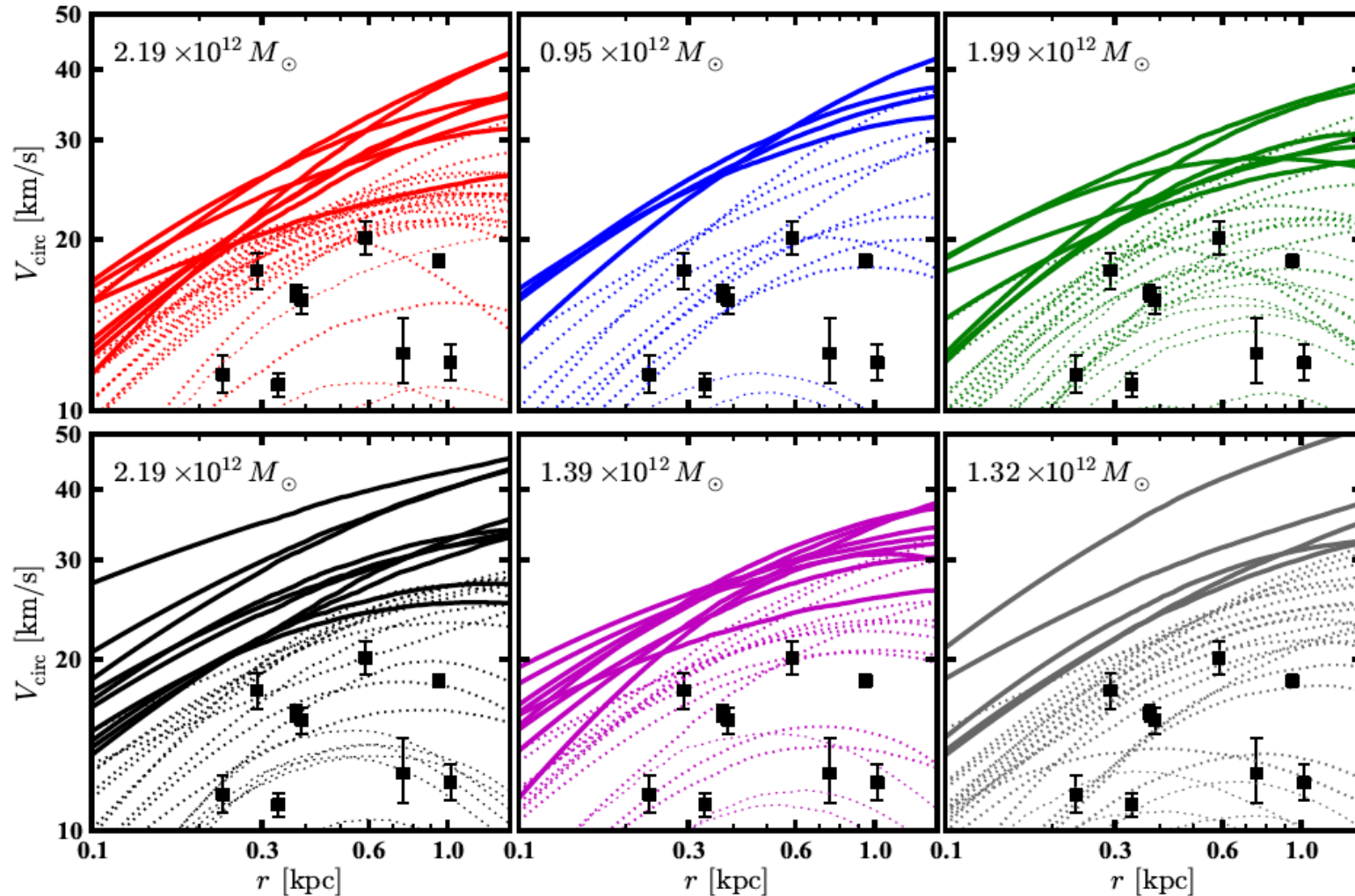
$$M_{1/2} \stackrel{\sim}{=} 3 G^{-1} \langle \sigma_{\text{los}}^2 \rangle \tilde{r}_{1/2}$$

The “too big to fail” problem

Independent(?) of the core-cusp problem, recent analysis of high resolution simulations of MW-size halos find that:

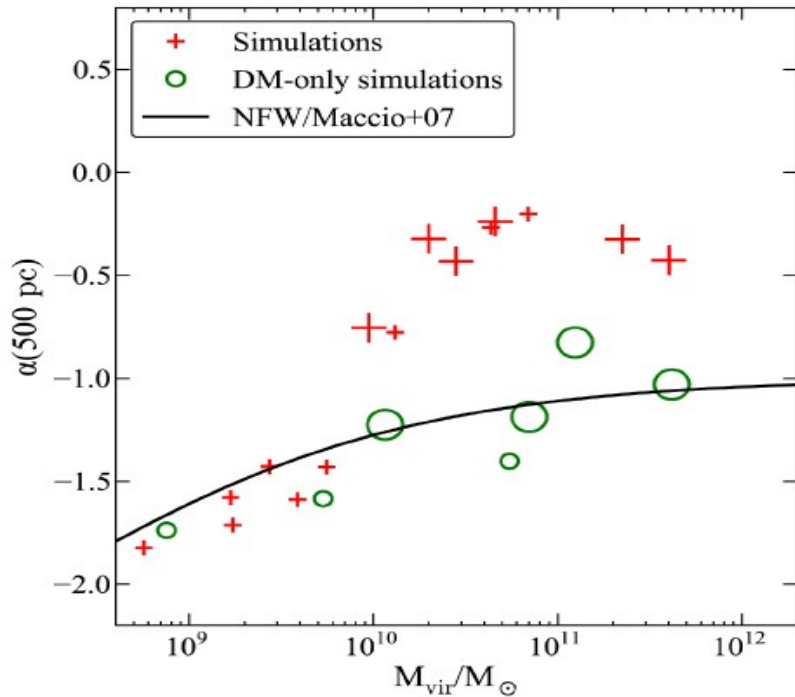
The most massive CDM subhalos seem to be too dense to host the MW dSphs!!

DM satellites of six MW-size halos (Aquarius project)



Possible solutions within CDM

Slope of the density profile within 500 pc



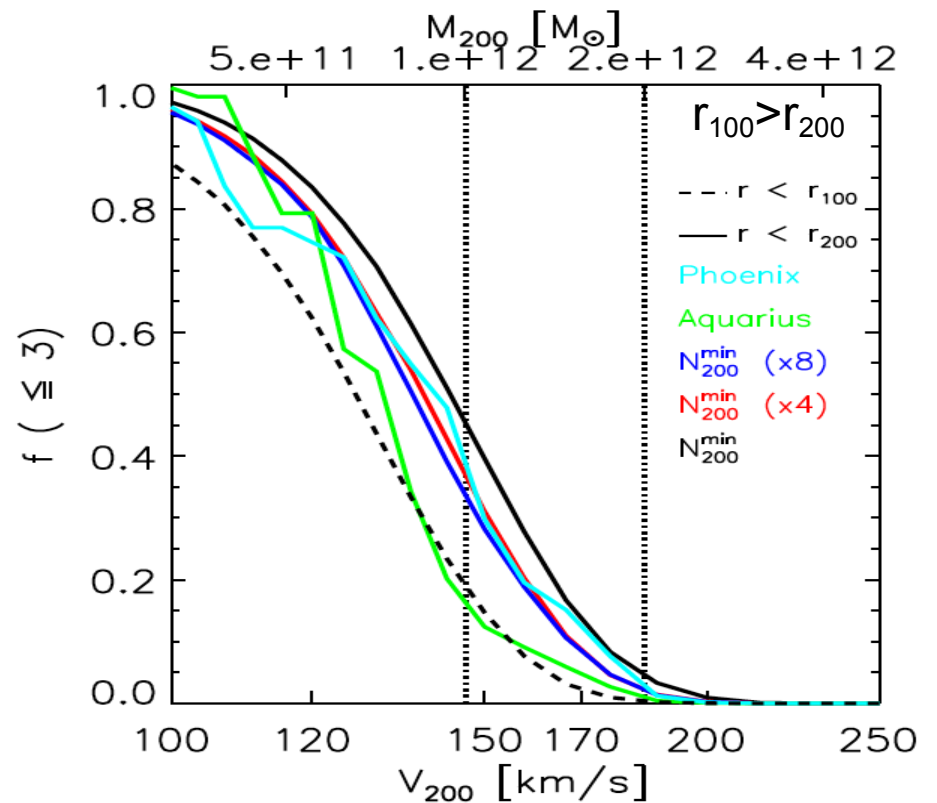
The halo of the Milky Way is less massive than $10^{12} M_{\text{Sun}}$
e.g. Wang et al. 2012

N_{min} is the minimum number of particles within the virial radius of the host halo needed to achieve convergence in the abundance of subhalos

Early episodes of star formation and strong SN feedback

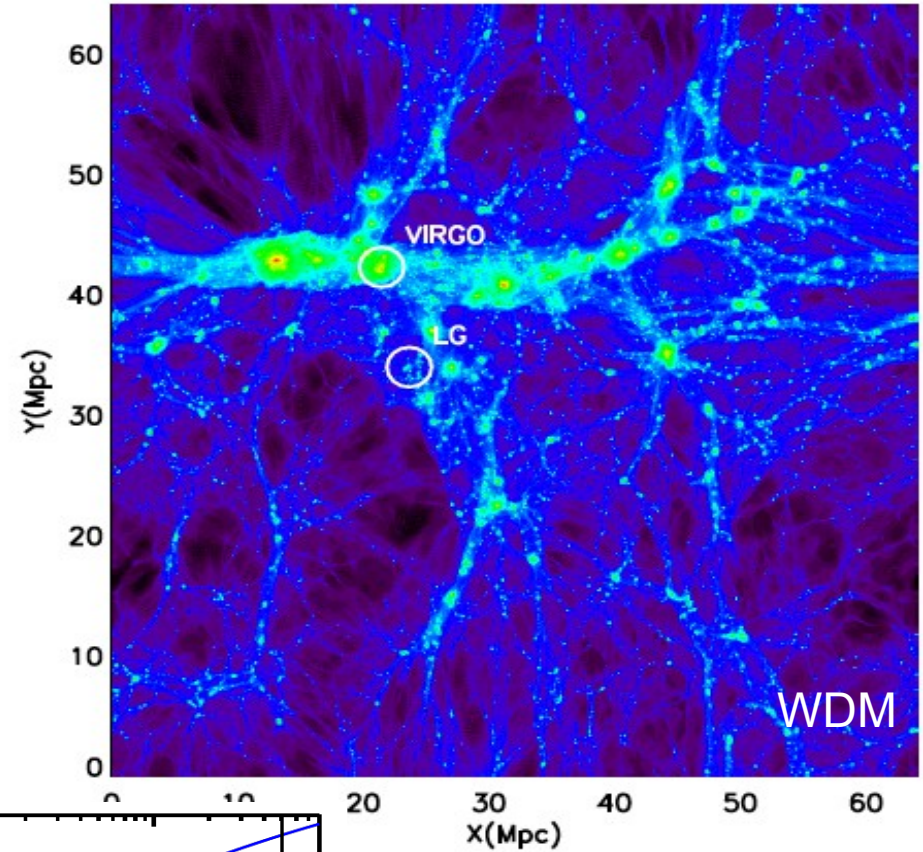
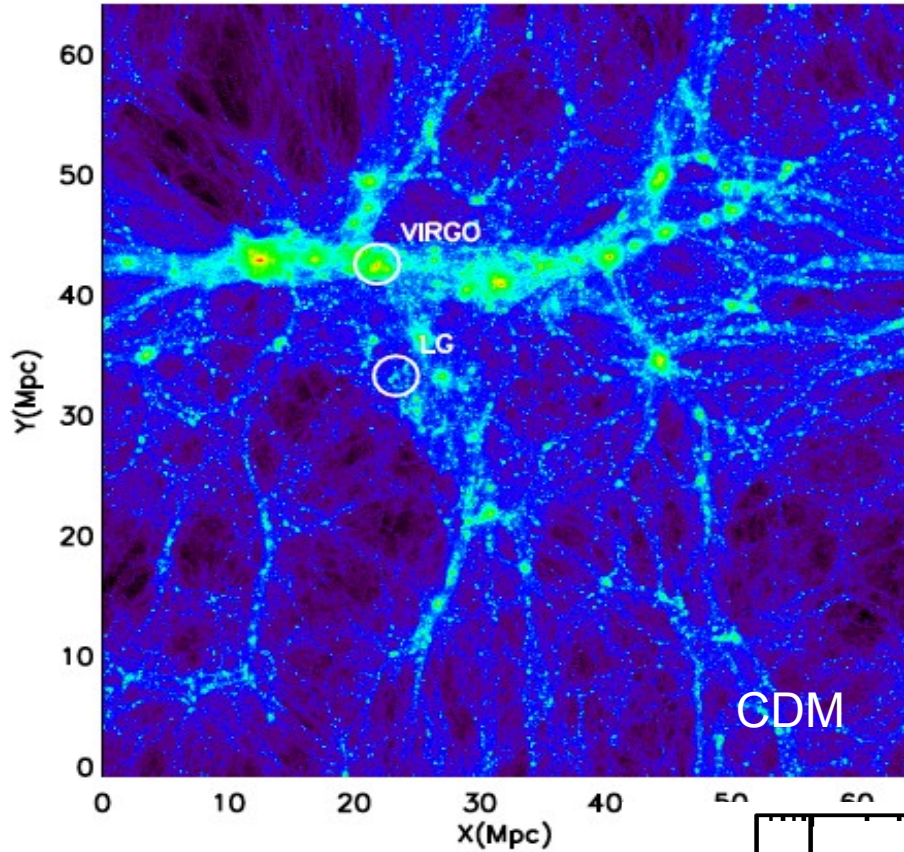
e.g. Navarro et al. 1996, Governato et al 2012

Probability that a halo contains 3 or fewer Subhalos with $V_{\text{max}} > 30 \text{ km/s}$



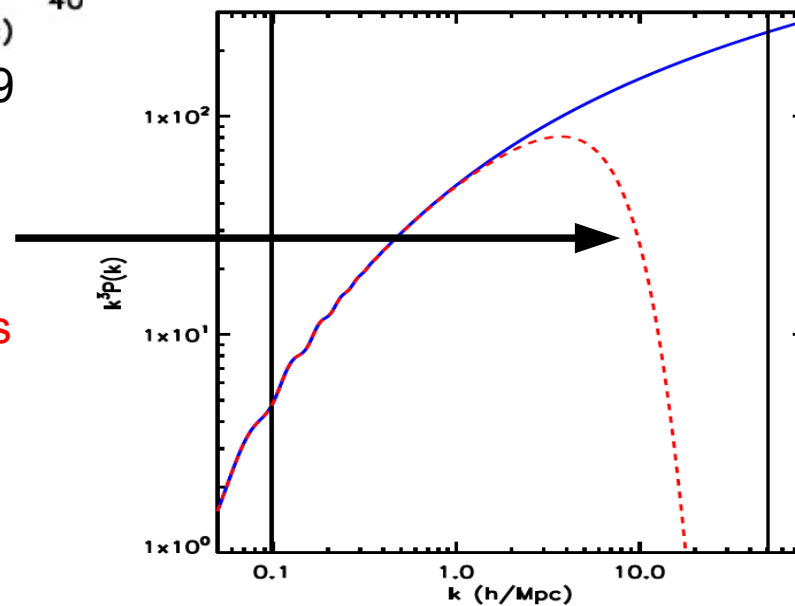
Dark matter might not be cold: WDM as an alternative

Halo abundance in the WDM model



Zavala et al. 2009

$m_\chi \sim 1 \text{ keV}$
 $R_{fs} \sim 500 \text{ kpc}$
 $M_{fs} \sim 10^{10} M_{\text{Sun}}$
 $\sigma(z=0) \sim 0.04 \text{ km/s}$

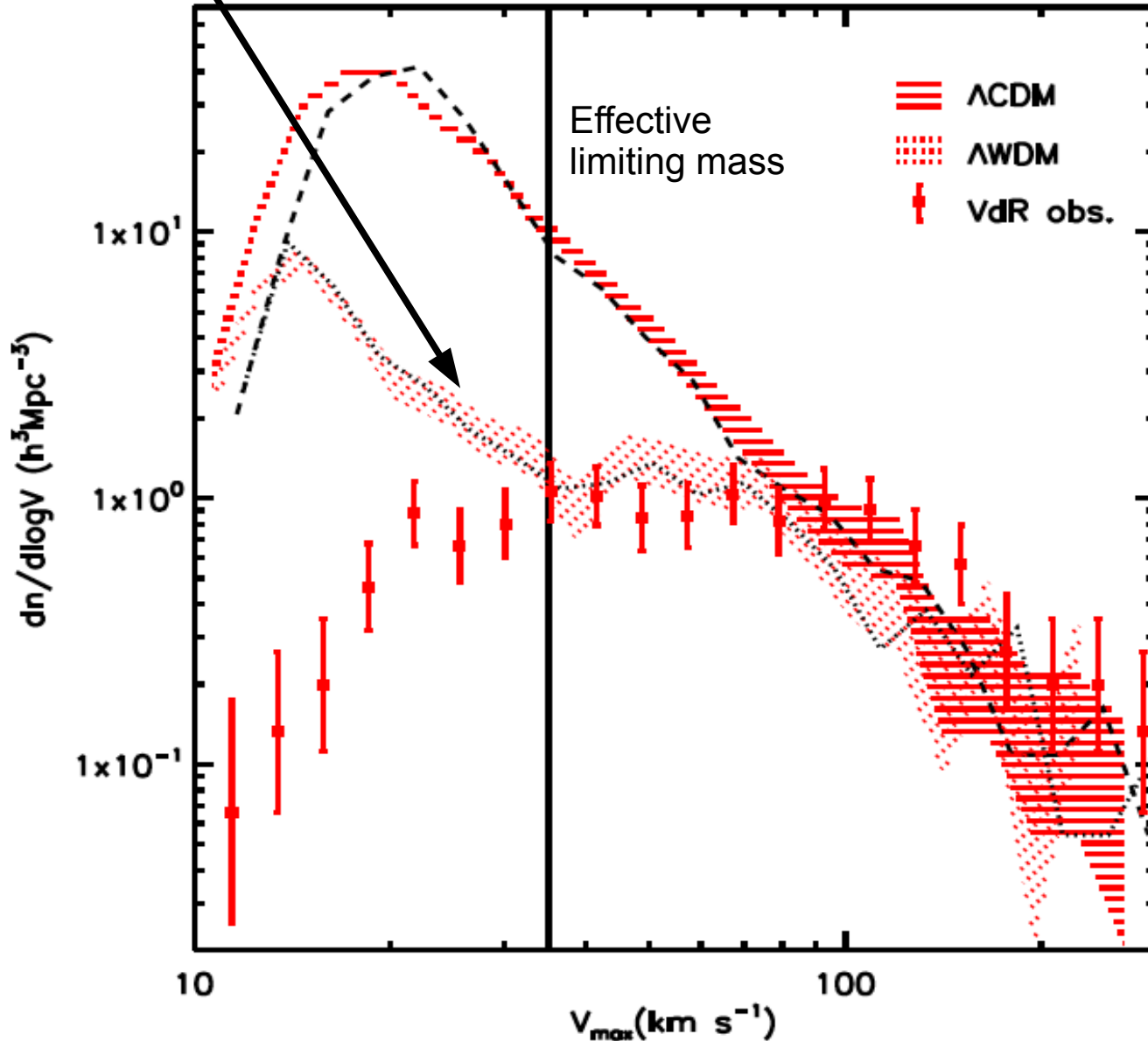


Some classic studies on halo abundance in WDM:
 Colín et al. 2000,
 Bode et al. 2001,
 Avila-Reese et al. 2001...

The H_I velocity function (comparison with the H_I ALFALFA survey)

Discreteness effects
Wang and White 2007

Zavala et al. 2009

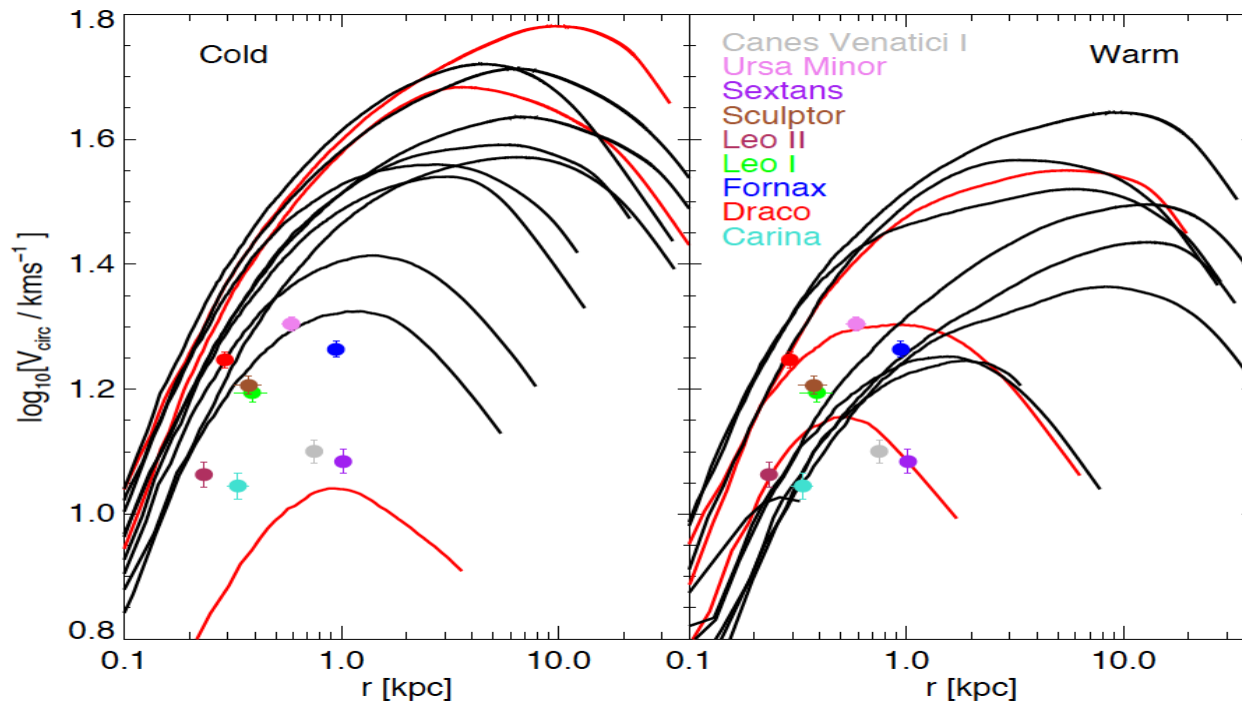
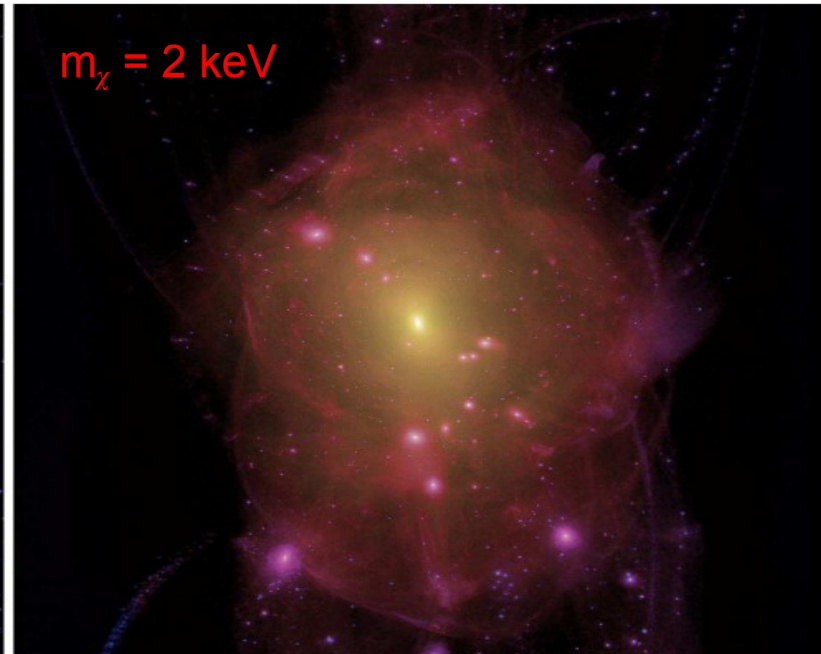


CDM is overabundant by a factor of ~ 10 at $V_{\text{max}} \sim 30 \text{ km/s}$
WDM (1keV) fits nicely but:

In marginal tension with current Ly- α forest constraints

Inner density profile of WDM subhalos

MW-size halo simulations (Lovell et al. 2012)



WDM halos are still well fitted by a NFW profile, but halos are less concentrated:

WDM alleviates the "too big too fail" problem!!

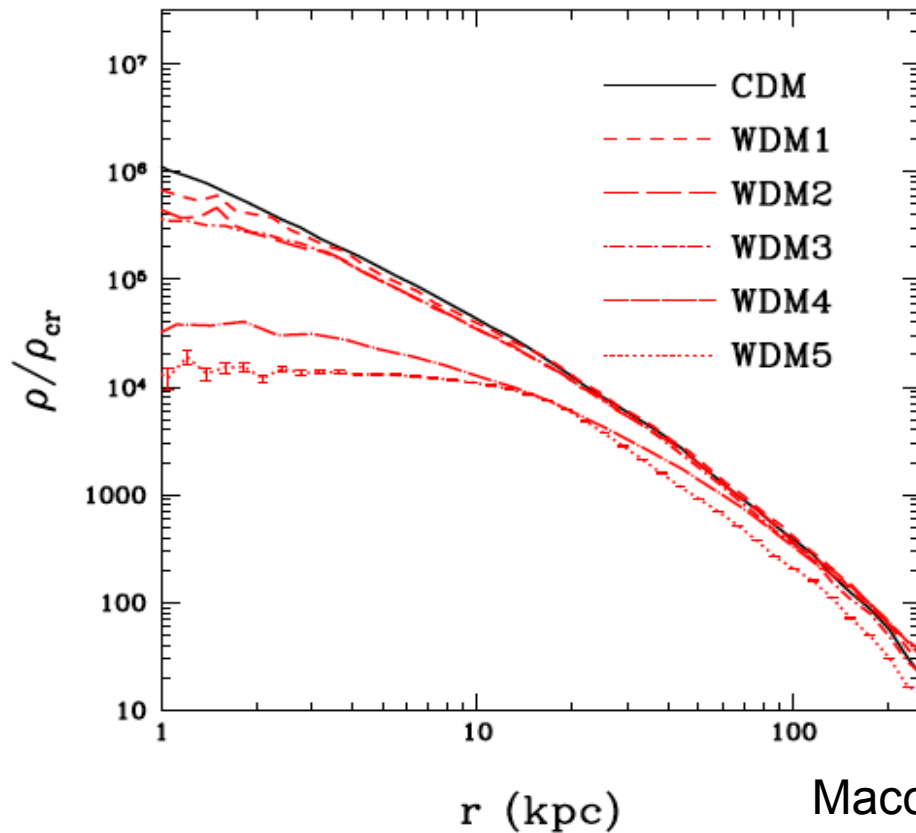
Cores in WDM halos

(e.g. Kuzio de Naray et al. 2010, Maccio et al. 2012)

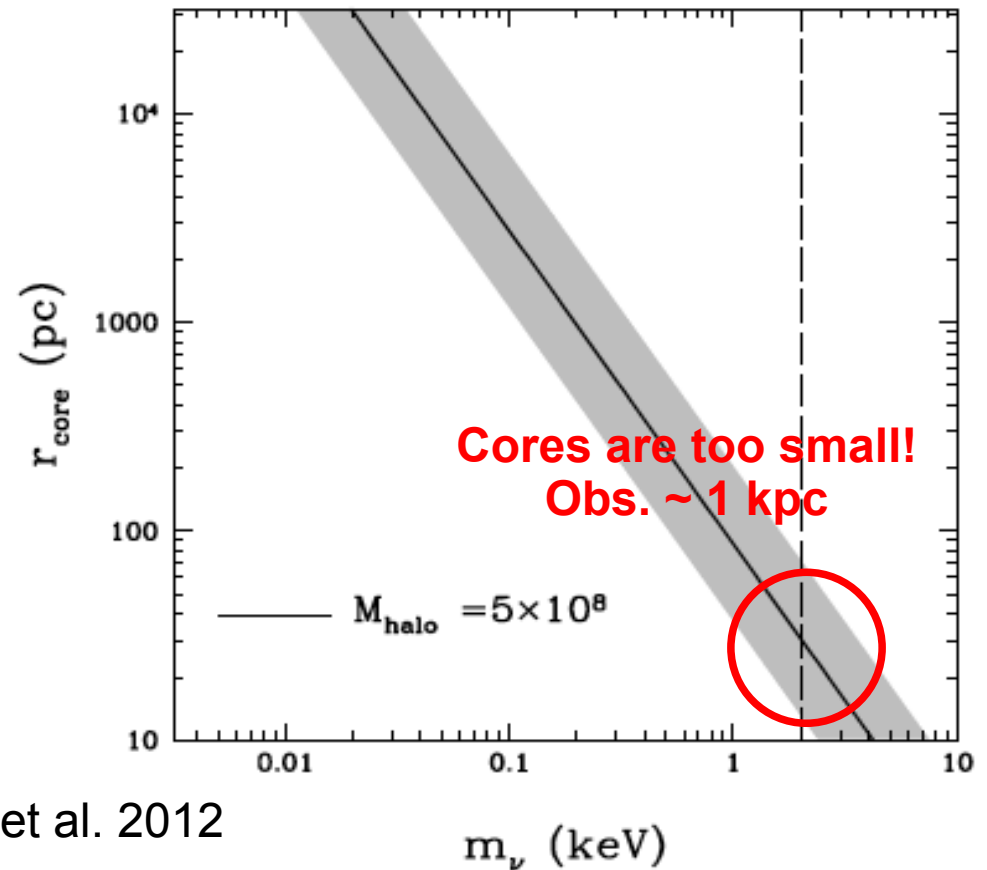
Coarse-grained phase-space density:
 $Q = \rho / \sigma^3$

Thermal velocities at decoupling set a maximum value to Q that translates into a central density core (this value depends on the mass of the DM particle)

MW halo (sim)



Typical MW subhalo (estimate)



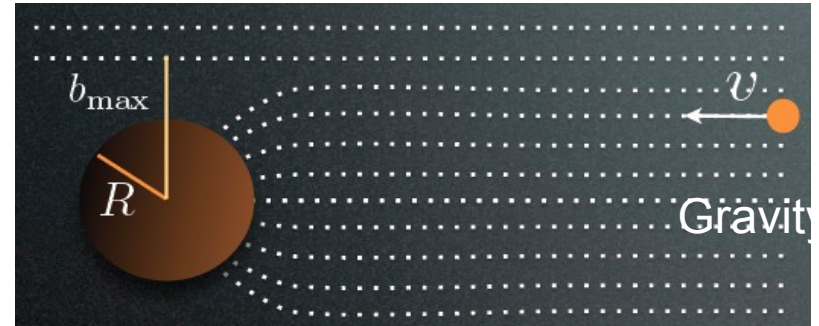
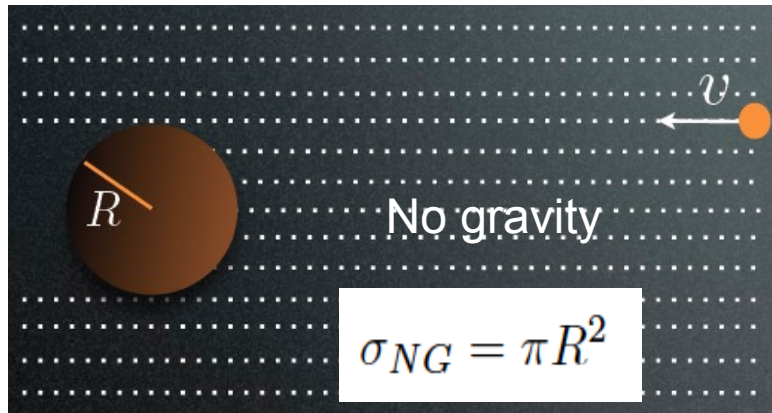
Still, no simulation to date has been able to resolve the central kpc region of the subhalos of a WDM MW-size halo (WDM sims are quite challenging!!)

Dark matter might not be collisionless: Self-Interacting DM as an alternative

Velocity-dependent SIDM models (vdSIDM) (Sommerfeld enhancement)

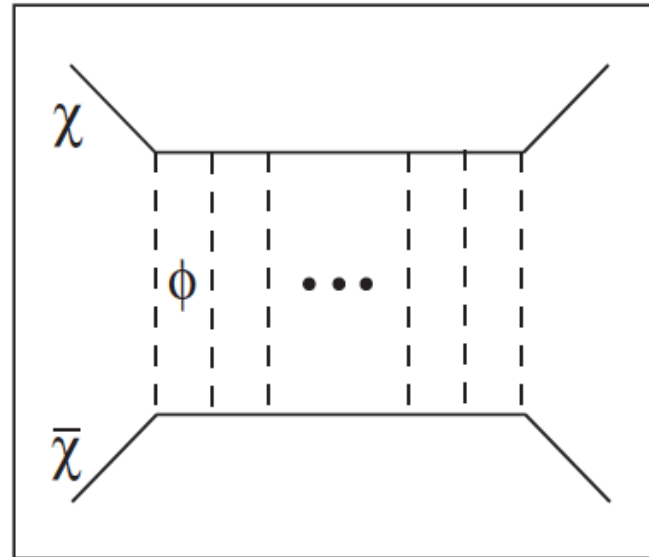
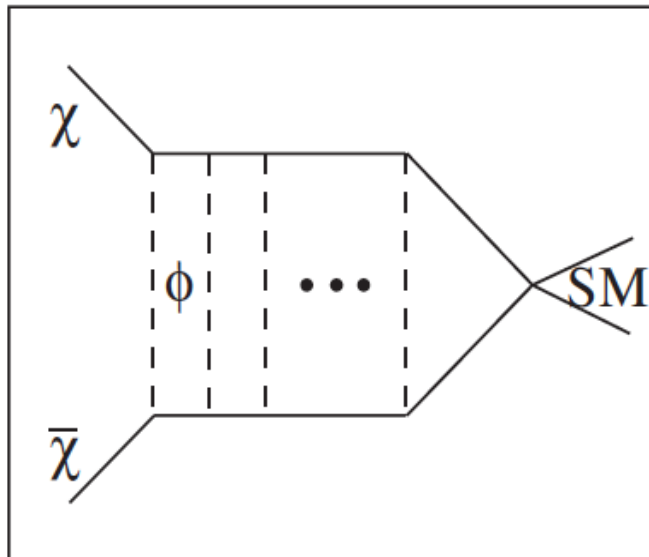
- Classical analog:

Figs. from M. Cirelli, DMV, Cambridge 2011



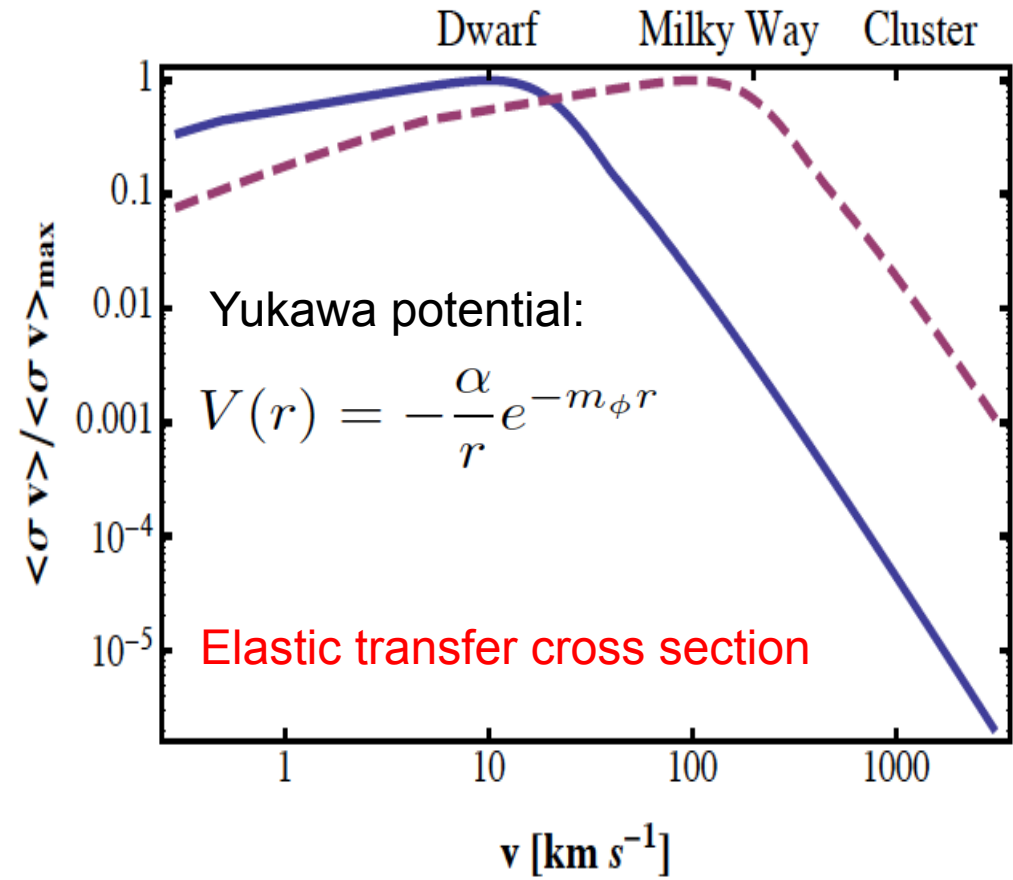
$$\sigma_N = \sigma_{NG} \left(1 + \frac{v_{esc}^2}{v^2} \right) = \pi b_{max}^2$$

- Annihilation and self-scattering enhancement (e.g. Buckley and Fox 2010)



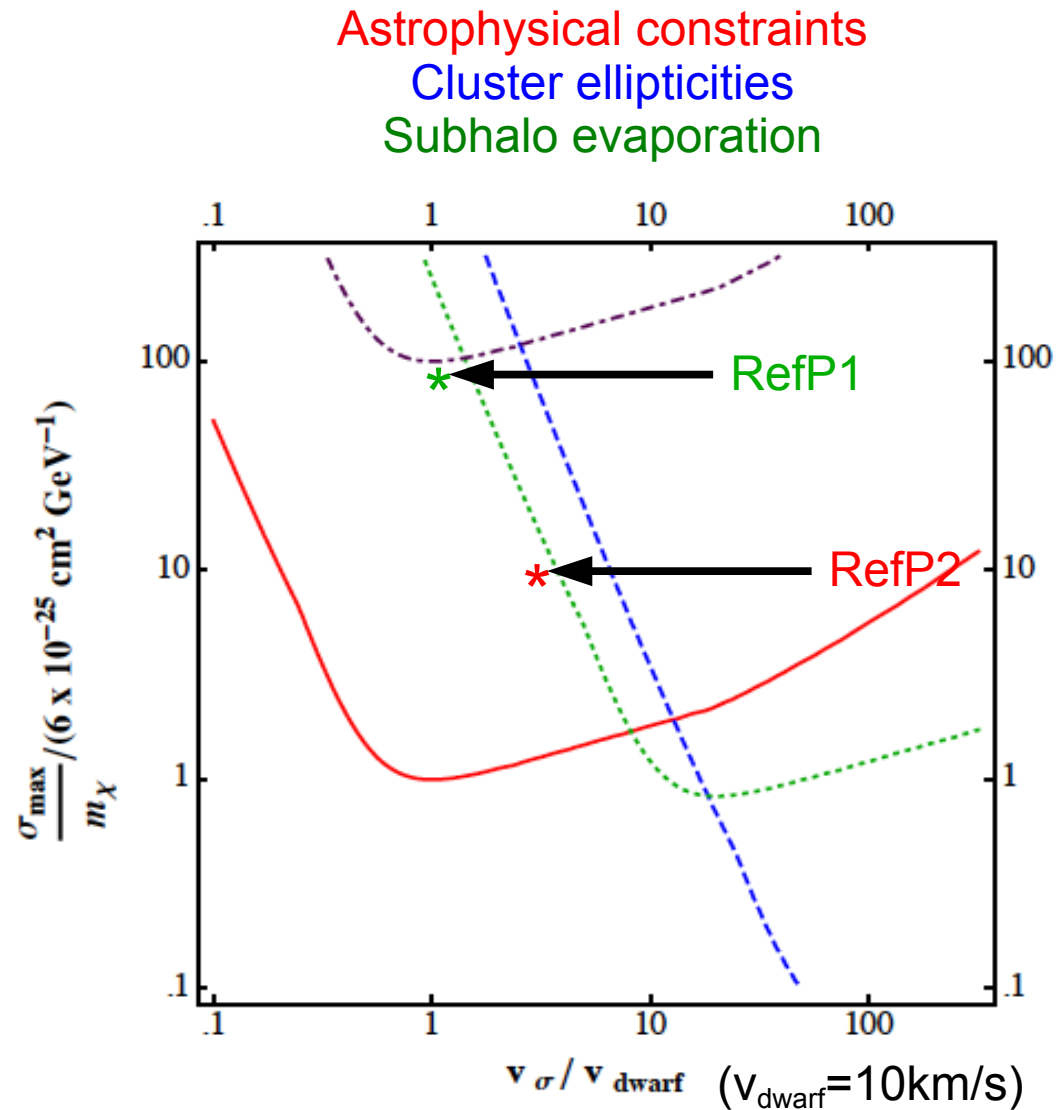
Velocity-dependent elastic SIDM models

Loeb and Weiner 2011



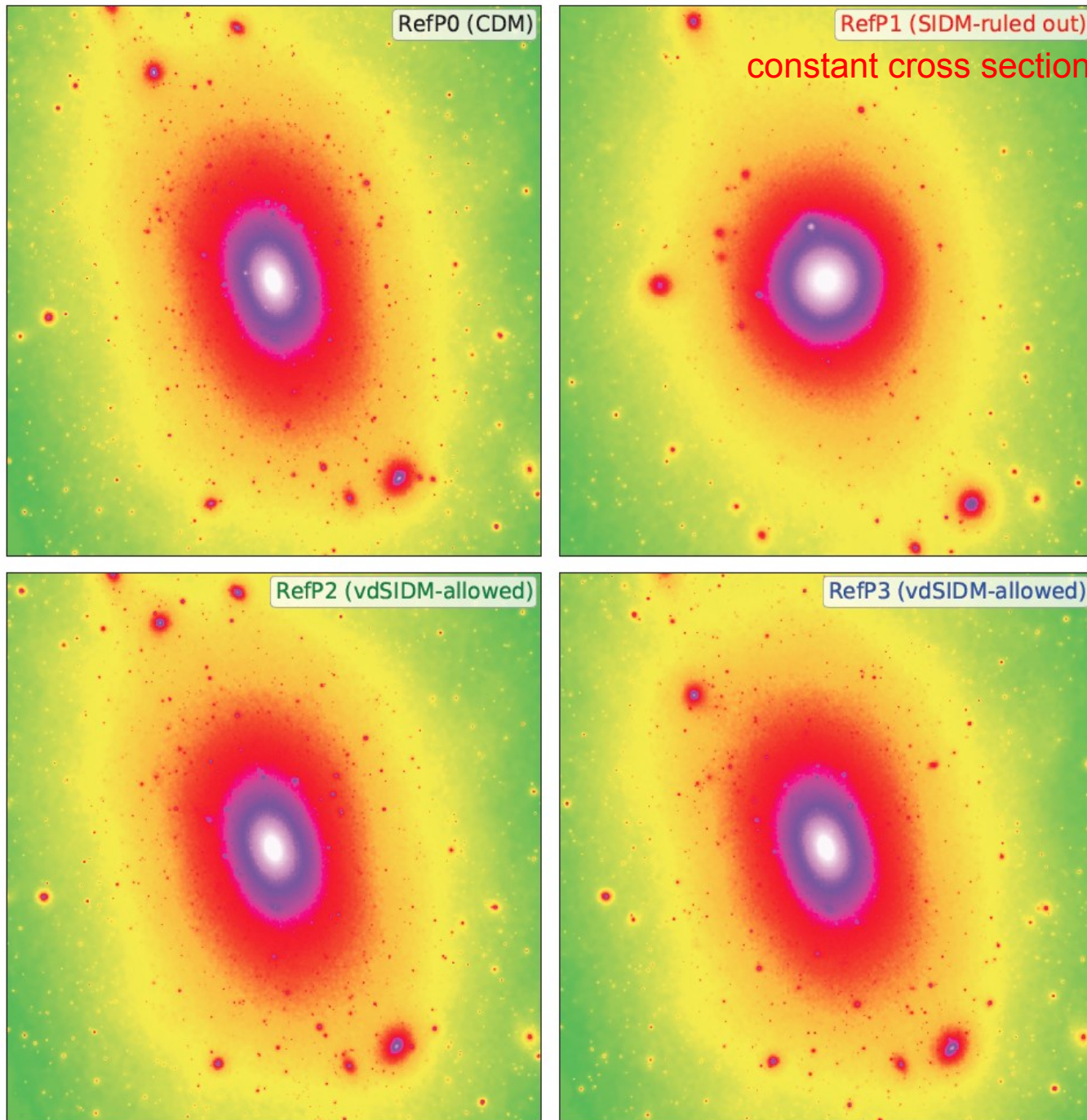
$$v_{\max}^2 = 2\alpha_e m_\phi / (\pi m_\chi)$$

$$\sigma_{\max} = 22.7 / m_\phi^2$$



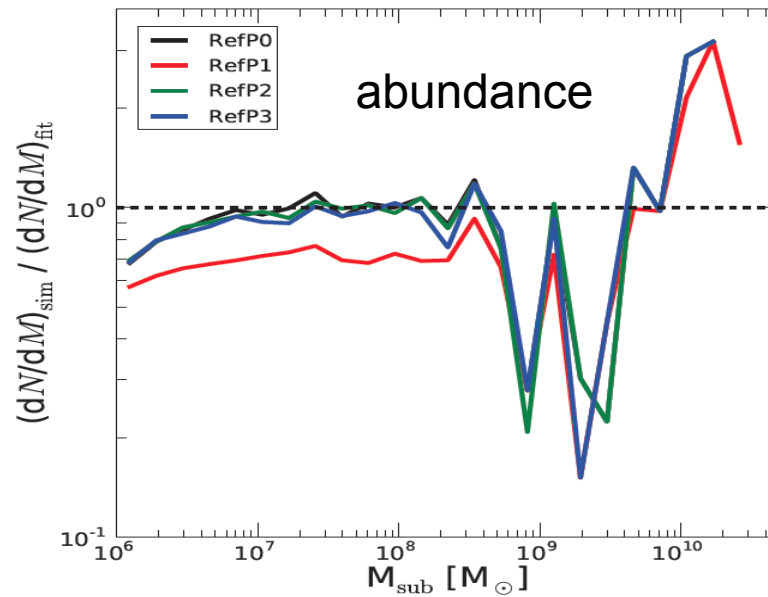
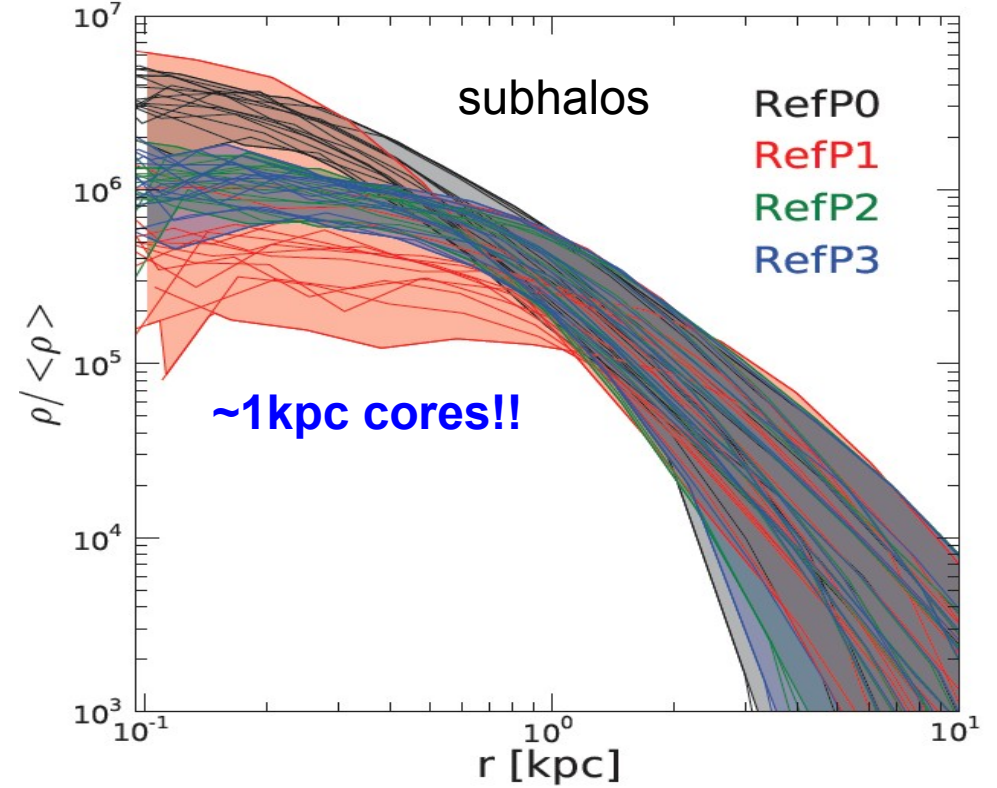
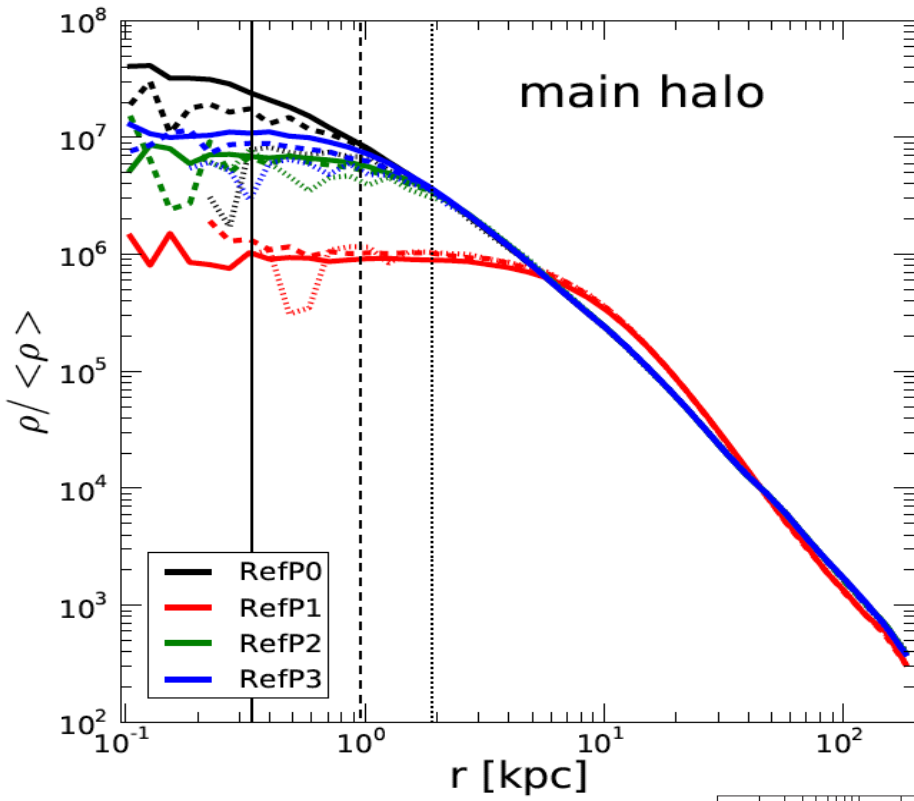
vdSIDM (re-simulate Aquarius MW-size halo)

Vogelsberger, JZ & Loeb 2012



vdSIDM (MW-size halo)

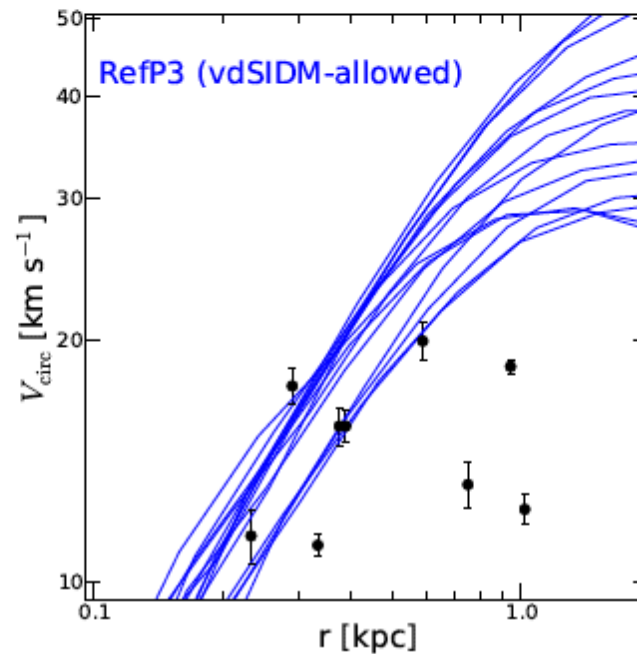
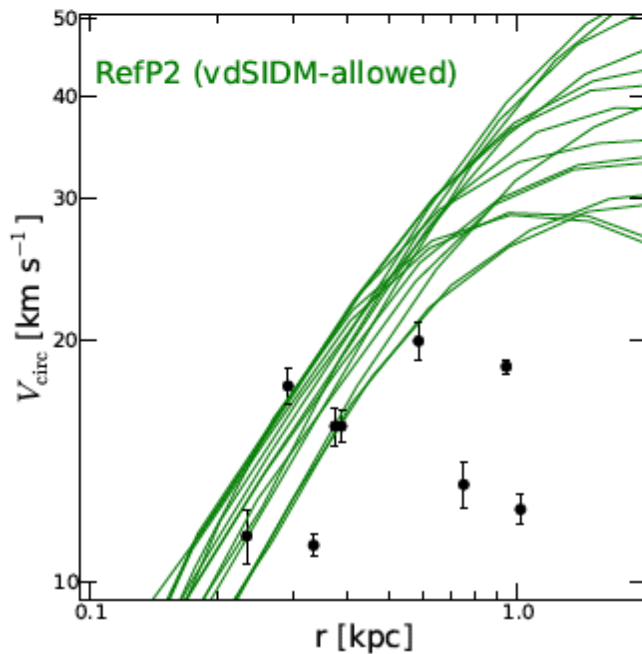
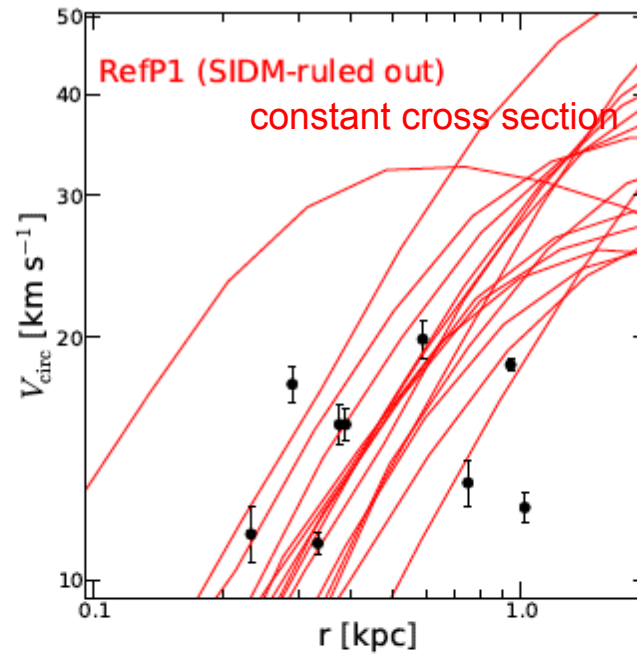
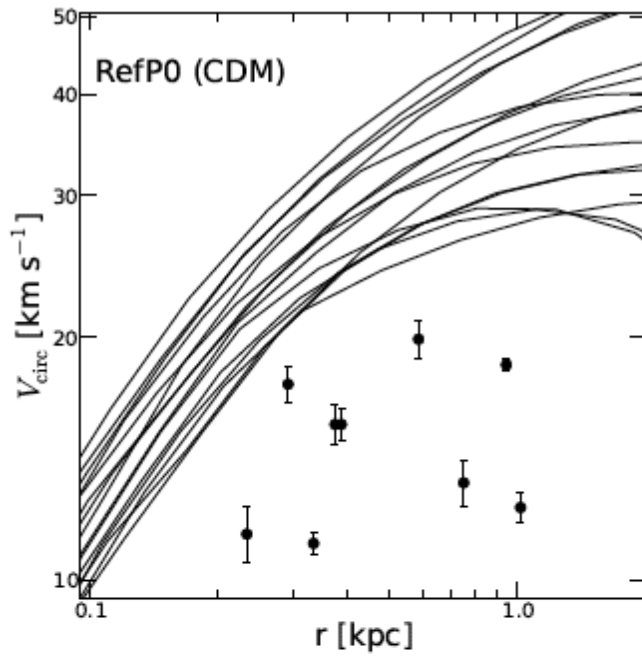
Vogelsberger, JZ & Loeb 2012



Abundance unchanged
in elastic vdSIDM models

vdSIDM subhalos and the bright MW dSphs

Vogelsberger, JZ & Loeb 2012



vdSIDM halos naturally develop sizeable cores without violating current constraints

vdSIDM alleviates the “too big too fail” problem!!